

$Fddd$

No. 70

 $F2/d2/d2/d$
 D_{2h}^{24}

| | Axes | Coordinates | | Wyckoff positions | | | | | | | |
|---|---|---|--|-------------------|--------|--------|--------|---------------|---------------|---------------|----------------|
| | | origin 1 | origin 2 | 8a | 8b | 16c | 16d | 16e | 16f | 16g | 32h |
| I Maximal translationengleiche subgroups | | | | | | | | | | | |
| [2] $F2dd$ (43) $\cong Fdd2$ | b, c, a | y, z, x | $x, y + \frac{1}{8}, z + \frac{1}{8}$ $y + \frac{1}{8}, z + \frac{1}{8}, x$ | 8a | 8a | 16b | 16b | $2 \times 8a$ | 16b | 16b | $2 \times 16b$ |
| [2] $Fd2d$ (43) $\cong Fdd2$ | c, a, b | z, x, y | $x + \frac{1}{8}, y, z + \frac{1}{8}$ $z + \frac{1}{8}, x + \frac{1}{8}, y$ | 8a | 8a | 16b | 16b | 16b | $2 \times 8a$ | 16b | $2 \times 16b$ |
| [2] $Fdd2$ (43) | | | $x + \frac{1}{8}, y + \frac{1}{8}, z$ | 8a | 8a | 16b | 16b | 16b | 16b | $2 \times 8a$ | $2 \times 16b$ |
| [2] $F222$ (22) | | | $x + \frac{1}{8}, y + \frac{1}{8}, z + \frac{1}{8}$ | 4a; 4c | 4b; 4d | 16k | 16k | 8e; 8j | 8f; 8i | 8g; 8h | $2 \times 16k$ |
| [2] $C2/c11$ (15) $\cong C12/c1$ | -a, b, -$\frac{1}{2}(\mathbf{b}+\mathbf{c})$ b, a, -$\frac{1}{2}(\mathbf{b}+\mathbf{c})$ | $-x + \frac{1}{8}, y - z, -2z + \frac{1}{4}$ $y - z, x - \frac{1}{8}, -2z + \frac{1}{4}$ | $-x, y - z, -2z$ $y - z, x, -2z$ | 4e | 4e | 4a; 4c | 4b; 4d | $2 \times 4e$ | 8f | 8f | $2 \times 8f$ |
| [2] $C12/c1$ (15) | a, -b, -$\frac{1}{2}(\mathbf{a}+\mathbf{c})$ | $x - z, -y + \frac{1}{8}, -2z + \frac{1}{4}$ | $x - z, -y, -2z$ | 4e | 4e | 4a; 4d | 4b; 4c | 8f | $2 \times 4e$ | 8f | $2 \times 8f$ |
| [2] $A112/a$ (15) | -$\frac{1}{2}(\mathbf{a}+\mathbf{b})$, b, -c | $-2x + \frac{1}{4}, -x + y, -z + \frac{1}{8}$ | $-2x, -x + y, -z$ | 4e | 4e | 4a; 4d | 4b; 4c | 8f | 8f | $2 \times 4e$ | $2 \times 8f$ |

| | | | Wyckoff positions | | | | | | | | |
|---------------------------------------|-----------------|--|---|---|---|---|---|----------------|----------------|----------------|----------------|
| | origin 1 | origin 2 | 8a | 8b | 16c | 16d | 16e | 16f | 16g | 32h | |
| Enlarged unit cell, isomorphic | | | | | | | | | | | |
| [3] $Fddd$ | 3a, b, c | $\frac{1}{3}x - \frac{1}{4}, y + \frac{1}{4}, z + \frac{1}{4};$ $\pm(\frac{1}{3}, 0, 0)$ | $\frac{1}{3}x, y + \frac{1}{4}, z + \frac{1}{4};$ $\pm(\frac{1}{3}, 0, 0)$ | 8b; 16e | 8a; 16e | 16c; 32h | 16d; 32h | $3 \times 16e$ | 16f; 32h | 16g; 32h | $3 \times 32h$ |
| [p] $Fddd$ | pa, b, c | $\frac{1}{p}x, y, z; +(\frac{u}{p}, 0, 0)$ $p = \text{prime} = 4n + 1; u = 1, \dots, p - 1$ | $\frac{1}{p}x, y, z; +(\frac{u}{p}, 0, 0)$ | $8a(b^*);$ $\frac{p-1}{2} \times 16e$ | $8b(a^*);$ $\frac{p-1}{2} \times 16e$ | $16c(d^\dagger);$ $\frac{p-1}{2} \times 32h$ | $16d(c^\dagger);$ $\frac{p-1}{2} \times 32h$ | $p \times 16e$ | 16f; | 16g; | $p \times 32h$ |
| [p] $Fddd$ | pa, b, c | $\frac{1}{p}x - \frac{1}{4}, y + \frac{1}{4}, z + \frac{1}{4};$ $+(\frac{u}{p}, 0, 0)$ $p = \text{prime} = 4n - 1; u = 1, \dots, p - 1$ | $\frac{1}{p}x, y + \frac{1}{4}, z + \frac{1}{4};$ $+(\frac{u}{p}, 0, 0)$ | $8b(a^\ddagger);$ $\frac{p-1}{2} \times 16e$ | $8a(b^\ddagger);$ $\frac{p-1}{2} \times 16e$ | $16c(d^\S);$ $\frac{p-1}{2} \times 32h$ | $16d(c^\S);$ $\frac{p-1}{2} \times 32h$ | $p \times 16e$ | 16f; | 16g; | $p \times 32h$ |
| [3] $Fddd$ | a, 3b, c | $x + \frac{1}{4}, \frac{1}{3}y - \frac{1}{4}, z + \frac{1}{4};$ $\pm(0, \frac{1}{3}, 0)$ | $x + \frac{1}{4}, \frac{1}{3}y, z + \frac{1}{4};$ $\pm(0, \frac{1}{3}, 0)$ | 8b; 16f | 8a; 16f | 16c; 32h | 16d; 32h | 16e; 32h | $3 \times 16f$ | 16g; 32h | $3 \times 32h$ |
| [p] $Fddd$ | a, pb, c | $x, \frac{1}{p}y, z; + (0, \frac{u}{p}, 0)$ $p = \text{prime} = 4n + 1; u = 1, \dots, p - 1$ | $x, \frac{1}{p}y, z; + (0, \frac{u}{p}, 0)$ | $8a(b^*);$ $\frac{p-1}{2} \times 16f$ | $8b(a^*);$ $\frac{p-1}{2} \times 16f$ | $16c(d^\dagger);$ $\frac{p-1}{2} \times 32h$ | $16d(c^\dagger);$ $\frac{p-1}{2} \times 32h$ | 16e; | $p \times 16f$ | 16g; | $p \times 32h$ |
| [p] $Fddd$ | a, pb, c | $x + \frac{1}{4}, \frac{1}{p}y - \frac{1}{4}, z + \frac{1}{4};$ $+ (0, \frac{u}{p}, 0)$ $p = \text{prime} = 4n - 1; u = 1, \dots, p - 1$ | $x + \frac{1}{4}, \frac{1}{p}y, z + \frac{1}{4};$ $+ (0, \frac{u}{p}, 0)$ | $8b(a^\ddagger);$ $\frac{p-1}{2} \times 16f$ | $8a(b^\ddagger);$ $\frac{p-1}{2} \times 16f$ | $16c(d^\S);$ $\frac{p-1}{2} \times 32h$ | $16d(c^\S);$ $\frac{p-1}{2} \times 32h$ | 16e; | $p \times 16f$ | 16g; | $p \times 32h$ |
| [3] $Fddd$ | a, b, 3c | $x + \frac{1}{4}, y + \frac{1}{4}, \frac{1}{3}z - \frac{1}{4};$ $\pm(0, 0, \frac{1}{3})$ | $x + \frac{1}{4}, y + \frac{1}{4}, \frac{1}{3}z;$ $\pm(0, 0, \frac{1}{3})$ | 8b; 16g | 8a; 16g | 16c; 32h | 16d; 32h | 16e; 32h | 16f; 32h | $3 \times 16g$ | $3 \times 32h$ |
| [p] $Fddd$ | a, b, pc | $x, y, \frac{1}{p}z; + (0, 0, \frac{u}{p})$ $p = \text{prime} = 4n + 1; u = 1, \dots, p - 1$ | $x, y, \frac{1}{p}z; + (0, 0, \frac{u}{p})$ | $8a(b^*);$ $\frac{p-1}{2} \times 16g$ | $8b(a^*);$ $\frac{p-1}{2} \times 16g$ | $16c(d^\dagger);$ $\frac{p-1}{2} \times 32h$ | $16d(c^\dagger);$ $\frac{p-1}{2} \times 32h$ | 16e | 16f; | $p \times 16g$ | $p \times 32h$ |
| [p] $Fddd$ | a, b, pc | $x + \frac{1}{4}, y + \frac{1}{4}, \frac{1}{p}z - \frac{1}{4};$ $+ (\frac{u}{p}, 0, 0)$ $p = \text{prime} = 4n - 1; u = 1, \dots, p - 1$ | $x + \frac{1}{4}, y + \frac{1}{4}, \frac{1}{p}z;$ $+ (\frac{u}{p}, 0, 0)$ | $8b(a^\ddagger);$ $\frac{p-1}{2} \times 16g$ | $8a(b^\ddagger);$ $\frac{p-1}{2} \times 16g$ | $16c(d^\S);$ $\frac{p-1}{2} \times 32h$ | $16d(c^\S);$ $\frac{p-1}{2} \times 32h$ | 16e; | 16f; | $p \times 16g$ | $p \times 32h$ |

 * origin 2 and $p = 8n + 5$

 † origin 1 and $p = 8n + 5$

 ‡ origin 2 and $p = 8n + 7$

 § origin 1 and $p = 8n + 7$