

Cm

C_s^3

m

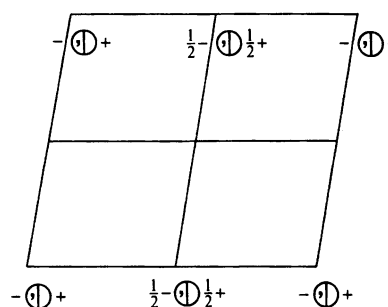
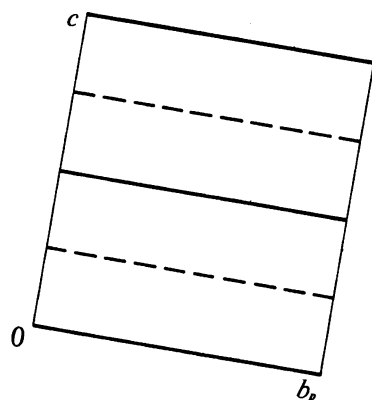
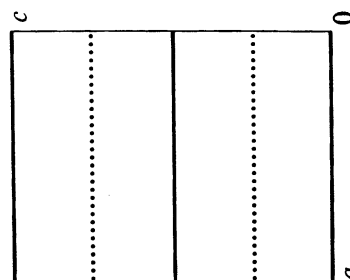
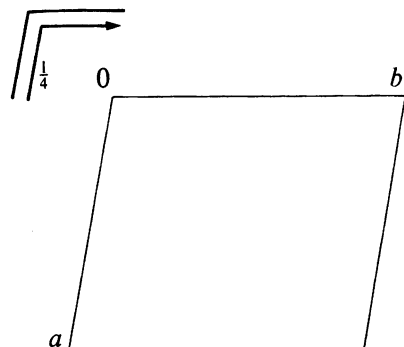
Monoclinic

No. 8

$A11m$

Patterson symmetry $A112/m$

UNIQUE AXIS c , CELL CHOICE 1



Origin on mirror plane m

Asymmetric unit $0 \leq x \leq 1; 0 \leq y \leq 1; 0 \leq z \leq \frac{1}{4}$

Symmetry operations

For $(0,0,0)+$ set

- (1) 1 (2) $m \ x,y,0$

For $(0, \frac{1}{2}, \frac{1}{2})+$ set

- (1) $t(0, \frac{1}{2}, \frac{1}{2})$ (2) $b \ x,y, \frac{1}{4}$

Generators selected (1); $t(1,0,0)$; $t(0,1,0)$; $t(0,0,1)$; $t(0, \frac{1}{2}, \frac{1}{2})$; (2)

Positions

Multiplicity, Wyckoff letter, Site symmetry		Coordinates	Reflection conditions
		$(0,0,0)+ (0, \frac{1}{2}, \frac{1}{2})+$	General:
4	<i>b</i> 1	(1) x,y,z (2) x,y,\bar{z}	$hkl : k+l=2n$ $hk0 : k=2n$ $0kl : k+l=2n$ $h0l : l=2n$ $00l : l=2n$ $0k0 : k=2n$
2	<i>a</i> <i>m</i>	$x,y,0$	Special: no extra conditions

Symmetry of special projections

Along $[001]$ $p1$
 $\mathbf{a}' = \mathbf{a}$ $\mathbf{b}' = \frac{1}{2}\mathbf{b}$
 Origin at $0,0,z$

Along $[100]$ $c11m$
 $\mathbf{a}' = \mathbf{b}_p$ $\mathbf{b}' = \mathbf{c}$
 Origin at $x,0,0$

Along $[010]$ $p1m1$
 $\mathbf{a}' = \frac{1}{2}\mathbf{c}$ $\mathbf{b}' = \mathbf{a}_p$
 Origin at $0,y,0$

Maximal non-isomorphic subgroups

- I** [2] $A1(P1, 1)$ 1+
- IIa** [2] $P11b(Pc, 7)$ 1; $2 + (0, \frac{1}{2}, \frac{1}{2})$
 [2] $P11m(Pm, 6)$ 1; 2
- IIb** [2] $A11a(\mathbf{a}' = 2\mathbf{a})(Cc, 9)$; [2] $I11a(\mathbf{a}' = 2\mathbf{a})(Cc, 9)$

Maximal isomorphic subgroups of lowest index

- IIc** [2] $A11m(\mathbf{a}' = 2\mathbf{a}$ or $\mathbf{a}' = 2\mathbf{a}, \mathbf{b}' = 2\mathbf{a} + \mathbf{b})(Cm, 8)$; [3] $A11m(\mathbf{c}' = 3\mathbf{c})(Cm, 8)$

Minimal non-isomorphic supergroups

- I** [2] $C2/m(12)$; [2] $Cmm2(35)$; [2] $Cmc2_1(36)$; [2] $Amm2(38)$; [2] $Aem2(39)$; [2] $Fmm2(42)$; [2] $Imm2(44)$; [2] $Ima2(46)$;
 [3] $P3m1(156)$; [3] $P31m(157)$; [3] $R3m(160)$
- II** [2] $P11m(\mathbf{b}' = \frac{1}{2}\mathbf{b}, \mathbf{c}' = \frac{1}{2}\mathbf{c})(Pm, 6)$

Cm

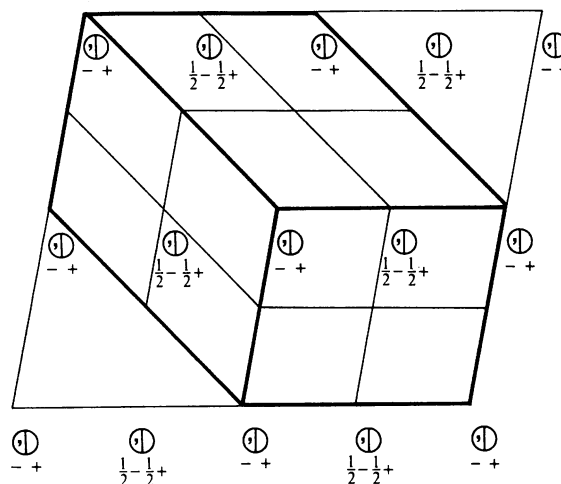
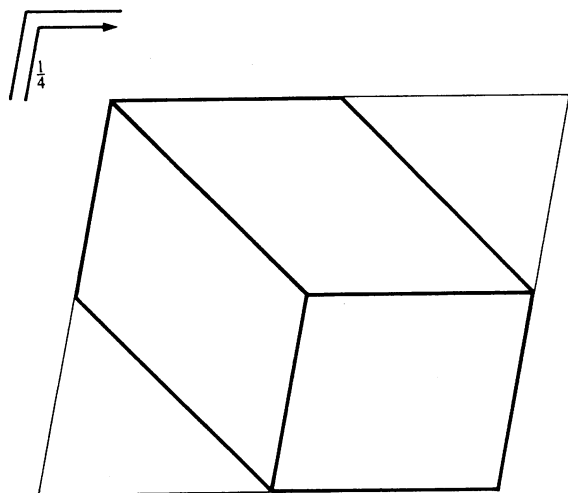
C_s^3

m

Monoclinic

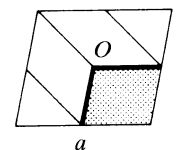
No. 8

UNIQUE AXIS c , DIFFERENT CELL CHOICES



$A11m$

UNIQUE AXIS c , CELL CHOICE 1



Origin on mirror plane m

Asymmetric unit $0 \leq x \leq 1; 0 \leq y \leq 1; 0 \leq z \leq \frac{1}{2}$

Generators selected (1); $t(1,0,0)$; $t(0,1,0)$; $t(0,0,1)$; $t(0, \frac{1}{2}, \frac{1}{2})$; (2)

Positions

Multiplicity, Wyckoff letter, Site symmetry	Coordinates
	$(0,0,0) + (0, \frac{1}{2}, \frac{1}{2}) +$

4	b	1	(1) x, y, z	(2) x, y, \bar{z}
---	-----	---	---------------	---------------------

Reflection conditions

General:

$hkl : k + l = 2n$

$hk0 : k = 2n$

$0kl : k + l = 2n$

$h0l : l = 2n$

$00l : l = 2n$

$0k0 : k = 2n$

Special: no extra conditions

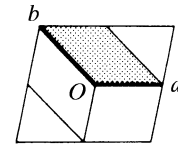
2	a	m	$x, y, 0$
---	-----	-----	-----------

B11mUNIQUE AXIS *c*, CELL CHOICE 2**Origin** on mirror plane *m***Asymmetric unit** $0 \leq x \leq 1; 0 \leq y \leq 1; 0 \leq z \leq \frac{1}{4}$ **Generators selected** (1); $t(1,0,0)$; $t(0,1,0)$; $t(0,0,1)$; $t(\frac{1}{2},0,\frac{1}{2})$; (2)**Positions**

Multiplicity, Wyckoff letter, Site symmetry	Coordinates
	$(0,0,0) + (\frac{1}{2},0,\frac{1}{2}) +$

4	<i>b</i>	1	(1) x,y,z	(2) x,y,\bar{z}
---	----------	---	-------------	-------------------

2	<i>a</i>	<i>m</i>	$x,y,0$
---	----------	----------	---------



Reflection conditions

General:

$hkl : h + l = 2n$

$hk0 : h = 2n$

$0kl : l = 2n$

$h0l : h + l = 2n$

$00l : l = 2n$

$h00 : h = 2n$

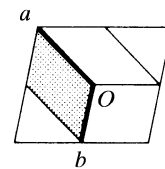
Special: no extra conditions

I11mUNIQUE AXIS *c*, CELL CHOICE 3**Origin** on mirror plane *m***Asymmetric unit** $0 \leq x \leq 1; 0 \leq y \leq 1; 0 \leq z \leq \frac{1}{4}$ **Generators selected** (1); $t(1,0,0)$; $t(0,1,0)$; $t(0,0,1)$; $t(\frac{1}{2},\frac{1}{2},\frac{1}{2})$; (2)**Positions**

Multiplicity, Wyckoff letter, Site symmetry	Coordinates
	$(0,0,0) + (\frac{1}{2},\frac{1}{2},\frac{1}{2}) +$

4	<i>b</i>	1	(1) x,y,z	(2) x,y,\bar{z}
---	----------	---	-------------	-------------------

2	<i>a</i>	<i>m</i>	$x,y,0$
---	----------	----------	---------



Reflection conditions

General:

$hkl : h + k + l = 2n$

$hk0 : h + k = 2n$

$0kl : k + l = 2n$

$h0l : h + l = 2n$

$00l : l = 2n$

$h00 : h = 2n$

$0k0 : k = 2n$

Special: no extra conditions