

$P2/m$

$C_{2h}^1$

$2/m$

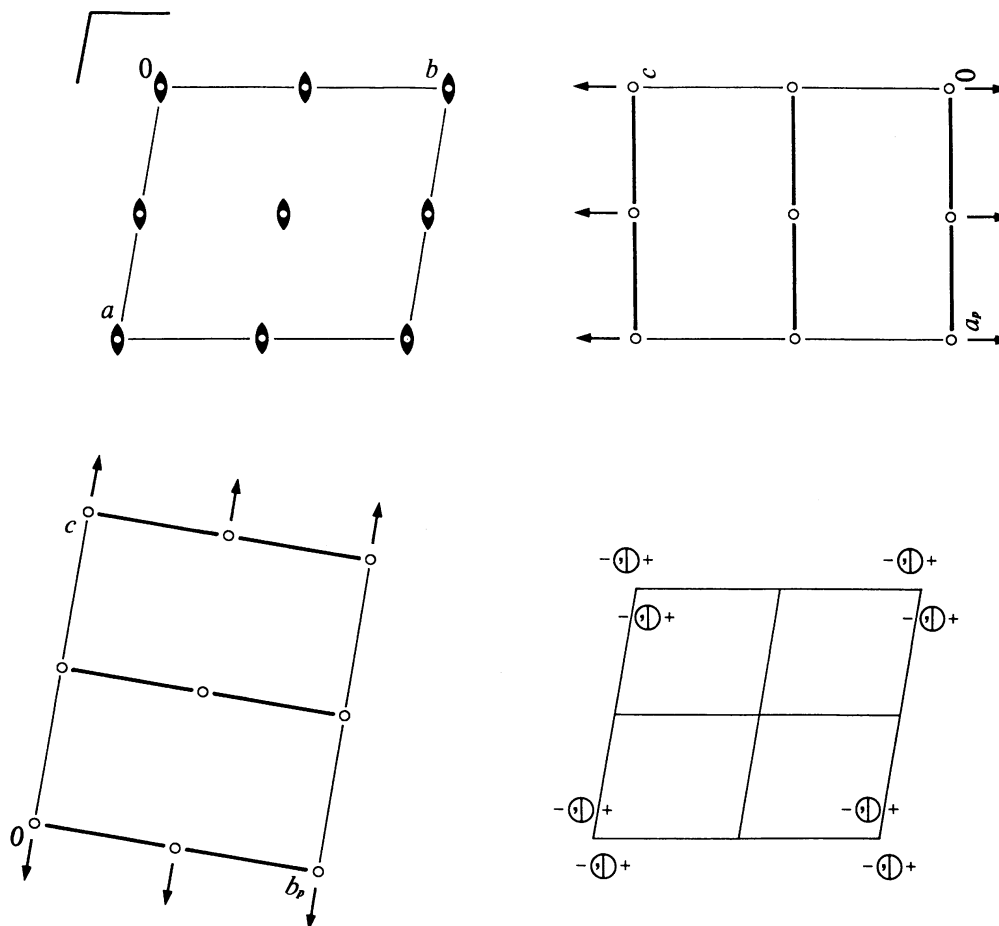
Monoclinic

No. 10

$P112/m$

Patterson symmetry  $P112/m$

UNIQUE AXIS  $c$



Origin at centre ( $2/m$ )

Asymmetric unit  $0 \leq x \leq 1; 0 \leq y \leq \frac{1}{2}; 0 \leq z \leq \frac{1}{2}$

Symmetry operations

- (1) 1      (2)  $2 \ 0,0,z$       (3)  $\bar{1} \ 0,0,0$       (4)  $m \ x,y,0$

**Maximal isomorphic subgroups of lowest index**

**IIc**  $[2] P112/m (c' = 2c) (P2/m, 10); [2] P112/m (a' = 2a \text{ or } b' = 2b \text{ or } a' = a - b, b' = a + b) (P2/m, 10)$

**Minimal non-isomorphic supergroups**

**I**  $[2] Pmmm (47); [2] Pccm (49); [2] Pmma (51); [2] Pmna (53); [2] Pbam (55); [2] Pnnm (58); [2] Cmmm (65); [2] Cccm (66); [2] P4/m (83); [2] P4_2/m (84); [3] P6/m (175)$

**II**  $[2] A112/m (C2/m, 12); [2] B112/m (C2/m, 12); [2] I112/m (C2/m, 12)$

**Generators selected** (1);  $t(1,0,0)$ ;  $t(0,1,0)$ ;  $t(0,0,1)$ ; (2); (3)

**Positions**

Multiplicity, Wyckoff letter, Site symmetry	Coordinates	Reflection conditions
4 <i>o</i> 1	(1) $x, y, z$ (2) $\bar{x}, \bar{y}, z$ (3) $\bar{x}, \bar{y}, \bar{z}$ (4) $x, y, \bar{z}$	General: no conditions  Special: no extra conditions
2 <i>n</i> <i>m</i>	$x, y, \frac{1}{2}$ $\bar{x}, \bar{y}, \frac{1}{2}$	
2 <i>m</i> <i>m</i>	$x, y, 0$ $\bar{x}, \bar{y}, 0$	
2 <i>l</i> 2	$\frac{1}{2}, \frac{1}{2}, z$ $\frac{1}{2}, \frac{1}{2}, \bar{z}$	
2 <i>k</i> 2	$\frac{1}{2}, 0, z$ $\frac{1}{2}, 0, \bar{z}$	
2 <i>j</i> 2	$0, \frac{1}{2}, z$ $0, \frac{1}{2}, \bar{z}$	
2 <i>i</i> 2	$0, 0, z$ $0, 0, \bar{z}$	
1 <i>h</i> $2/m$	$\frac{1}{2}, \frac{1}{2}, \frac{1}{2}$	
1 <i>g</i> $2/m$	$\frac{1}{2}, \frac{1}{2}, 0$	
1 <i>f</i> $2/m$	$\frac{1}{2}, 0, \frac{1}{2}$	
1 <i>e</i> $2/m$	$0, \frac{1}{2}, \frac{1}{2}$	
1 <i>d</i> $2/m$	$0, \frac{1}{2}, 0$	
1 <i>c</i> $2/m$	$\frac{1}{2}, 0, 0$	
1 <i>b</i> $2/m$	$0, 0, \frac{1}{2}$	
1 <i>a</i> $2/m$	$0, 0, 0$	

**Symmetry of special projections**

Along [001]  $p2$   
 $\mathbf{a}' = \mathbf{a}$      $\mathbf{b}' = \mathbf{b}$   
 Origin at  $0, 0, z$

Along [100]  $p2mm$   
 $\mathbf{a}' = \mathbf{b}_p$      $\mathbf{b}' = \mathbf{c}$   
 Origin at  $x, 0, 0$

Along [010]  $p2mm$   
 $\mathbf{a}' = \mathbf{c}$      $\mathbf{b}' = \mathbf{a}_p$   
 Origin at  $0, y, 0$

**Maximal non-isomorphic subgroups**

**I** [2]  $P11m$  ( $Pm$ , 6) 1; 4  
 [2]  $P112$  ( $P2$ , 3) 1; 2  
 [2]  $P\bar{1}$  (2) 1; 3

**IIa** none

**IIb** [2]  $P112_1/m$  ( $\mathbf{c}' = 2\mathbf{c}$ ) ( $P2_1/m$ , 11); [2]  $P112/a$  ( $\mathbf{a}' = 2\mathbf{a}$ ) ( $P2/c$ , 13); [2]  $P112/b$  ( $\mathbf{b}' = 2\mathbf{b}$ ) ( $P2/c$ , 13);  
 [2]  $C112/e$  ( $\mathbf{a}' = 2\mathbf{a}, \mathbf{b}' = 2\mathbf{b}$ ) ( $P2/c$ , 13); [2]  $A112/m$  ( $\mathbf{b}' = 2\mathbf{b}, \mathbf{c}' = 2\mathbf{c}$ ) ( $C2/m$ , 12); [2]  $B112/m$  ( $\mathbf{a}' = 2\mathbf{a}, \mathbf{c}' = 2\mathbf{c}$ ) ( $C2/m$ , 12);  
 [2]  $F112/m$  ( $\mathbf{a}' = 2\mathbf{a}, \mathbf{b}' = 2\mathbf{b}, \mathbf{c}' = 2\mathbf{c}$ ) ( $C2/m$ , 12)

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